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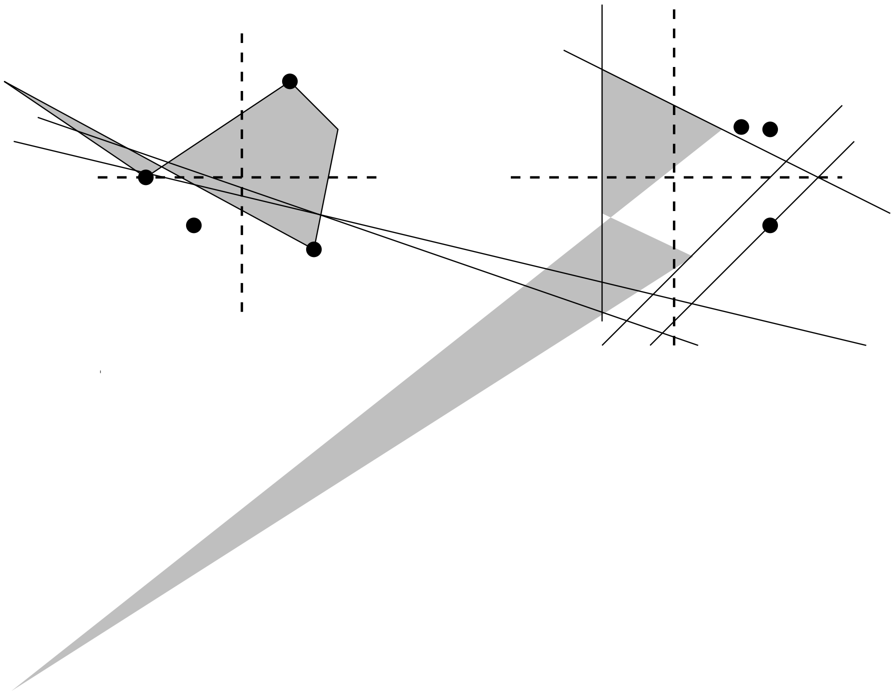

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p p $\{p\}$

2.2 The Algorithm

We now present our method of enumerating extreme points of P. We choose $d+1$ linearly independent points such that each point has a maximum coordinate in one of the $2d$ axes-parallel directions. Initially the set E of extreme points of P is created from these $d+1$ points. Let us denote the set $P \setminus - \lfloor$

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Theorem 5.

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